Name:

Entry number: $\qquad$
There are 2 questions for a total of 10 points.

1. Answer the following questions.
(a) (1 point) State true or false (no reasons required): The probability of having an empty bin when throwing $k$ distinguishable balls randomly into $n$ distinguishable bins is the same as the probability of having an empty bin when throwing $k$ indistinguishable balls randomly into $n$ distinguishable bins.
(a) $\qquad$
(b) (4 points) Suppose you flip a biased coin that turns heads with probability $p$. What is the probability that you get even number of heads in $n$ coin tosses. You have to give a concise expression. Show your working in the space below.
$\qquad$
2. (5 points) A fair coin is tossed repeatedly until two consecutive heads are tossed. Find the probability that the coin was tossed 11 times. Show calculations in the space below.
3. 

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