

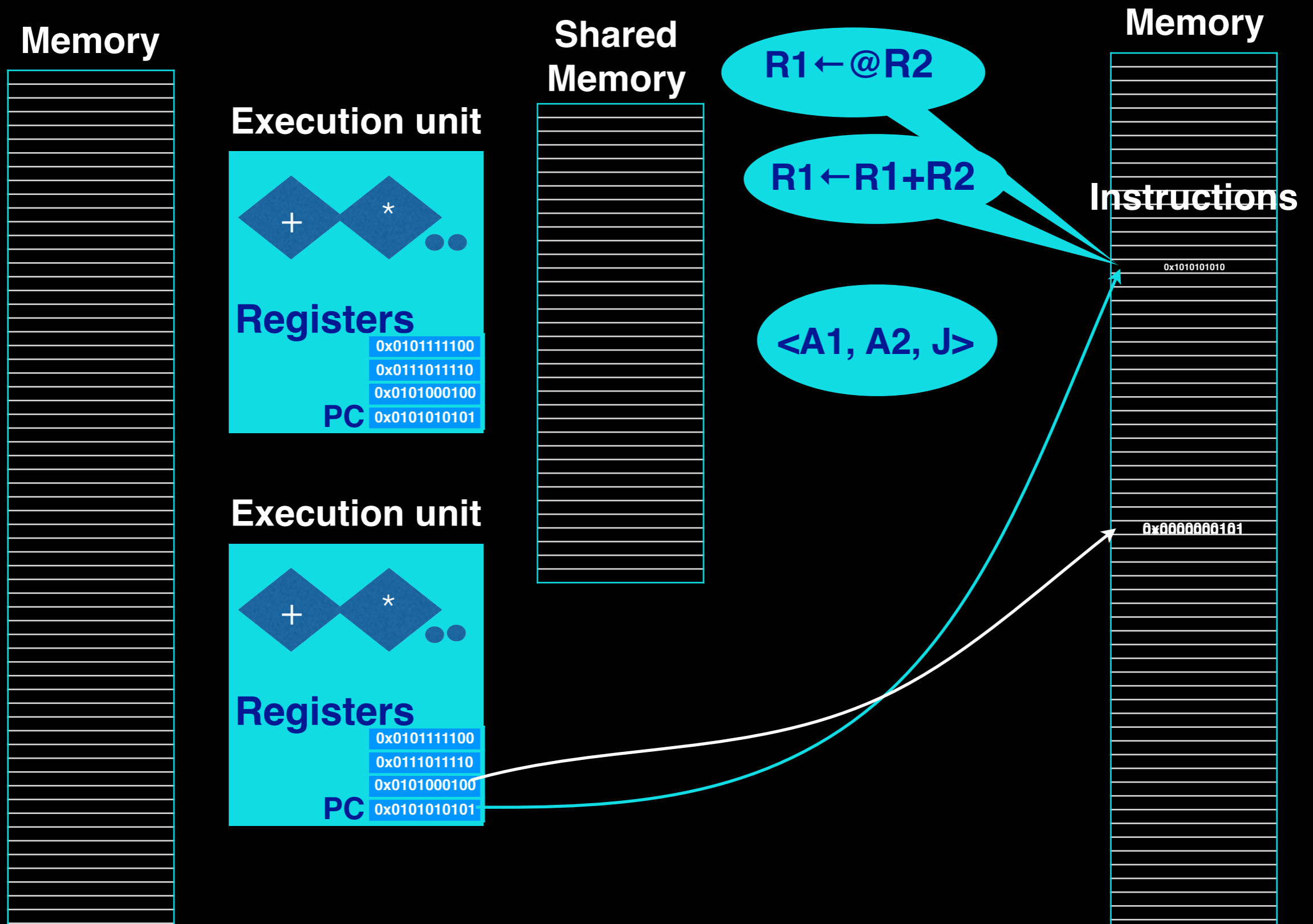
# Introduction to CS

- Not a study of computers but computation
  - But we do study computers as well
- Computability
- How to formally specify and abstract problems
  - And design and evaluate solutions
- Algorithms and data management
  - Efficient computation

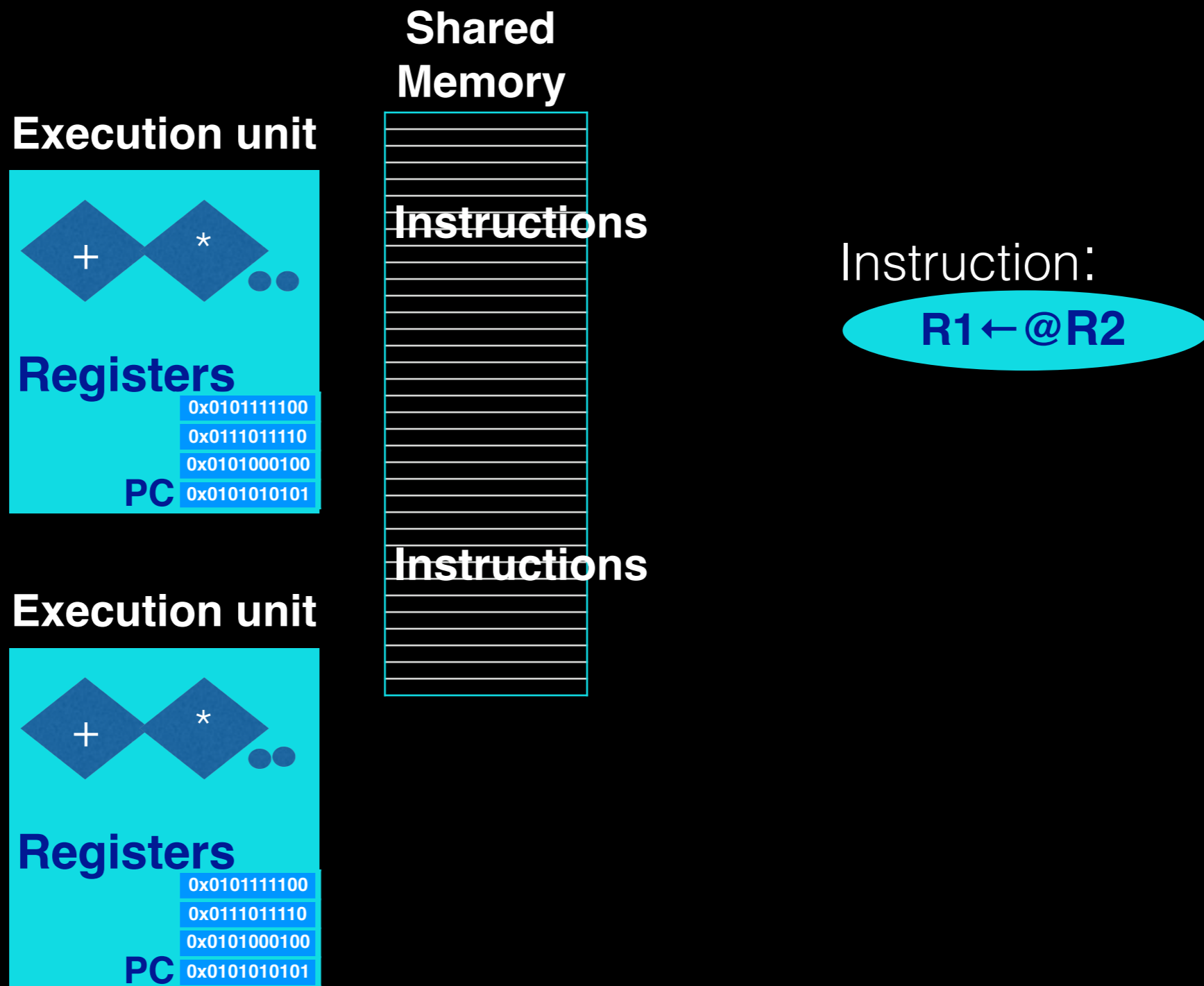
# What is an Algorithm

- Self-contained *set of actionable steps* that lead to a solution
  - with order among (some) steps clearly spelled out
- Incomplete without
  - an understanding of steps
  - an understanding of input requirements
  - an understanding of output requirements

# Von-Neumann Model



# Von-Neumann Model



# What is Programming?

- Express the problem formally
  - Then say “Solve(Problem)”
- Formal vs Natural language
- High level language
  - Preferably Turing complete
  - Declarative style
  - Imperative Style
  - Object-oriented
  - Syntax & Semantics

# Language Styles

## Declarative

**x, where  $x*x = n$**

(functional)

## Imperative

```
x = 0  
while( x < n):  
    if(x*x == n):  
        return x  
x = x+1
```

## Object-oriented

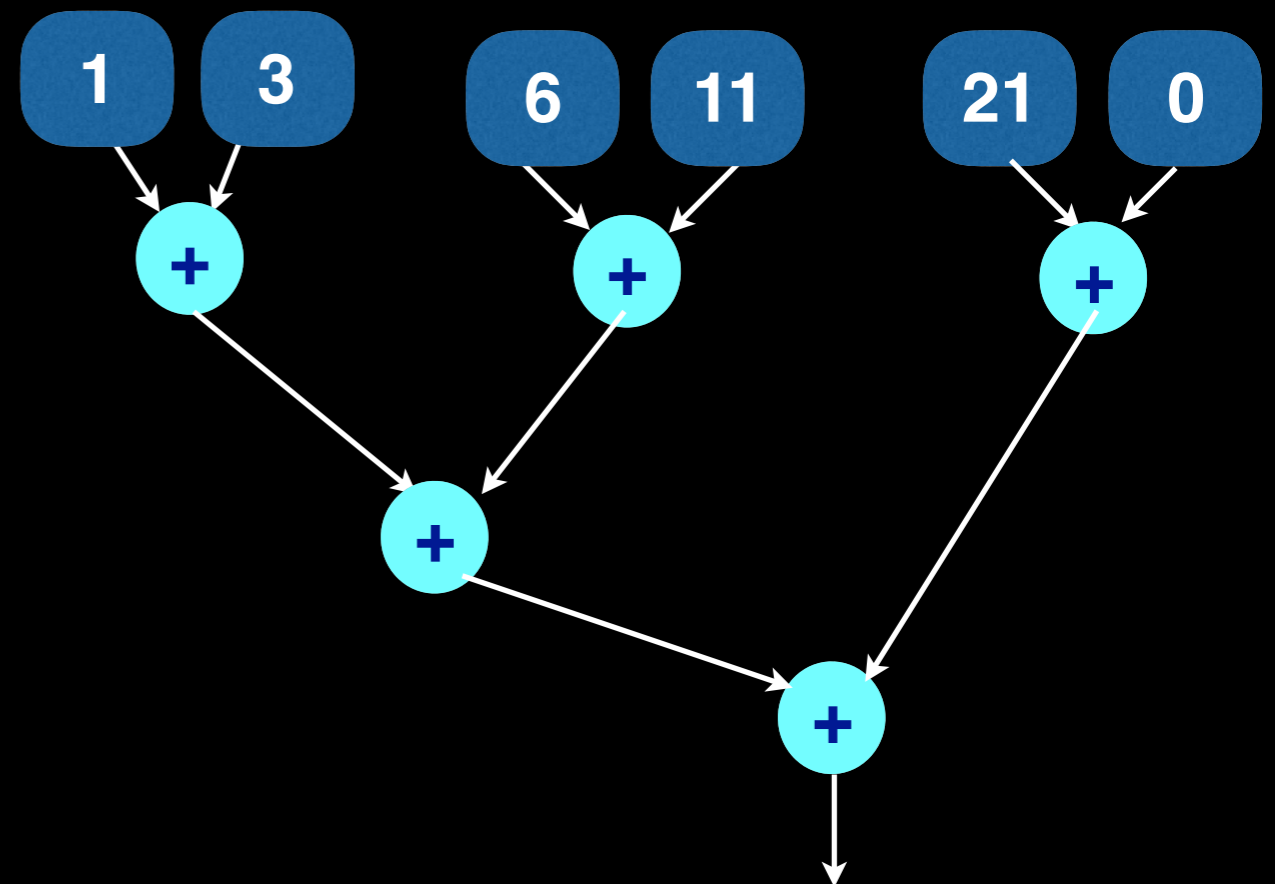
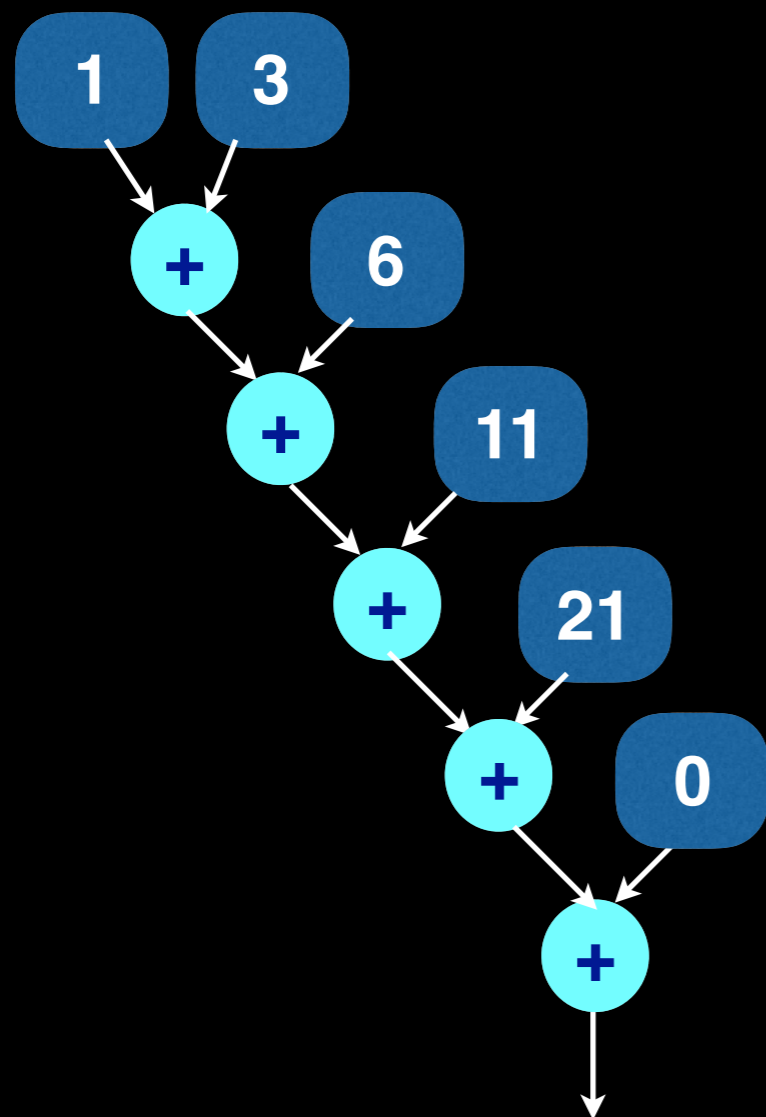
```
x = n.sqrt()
```

Object method sqrt:

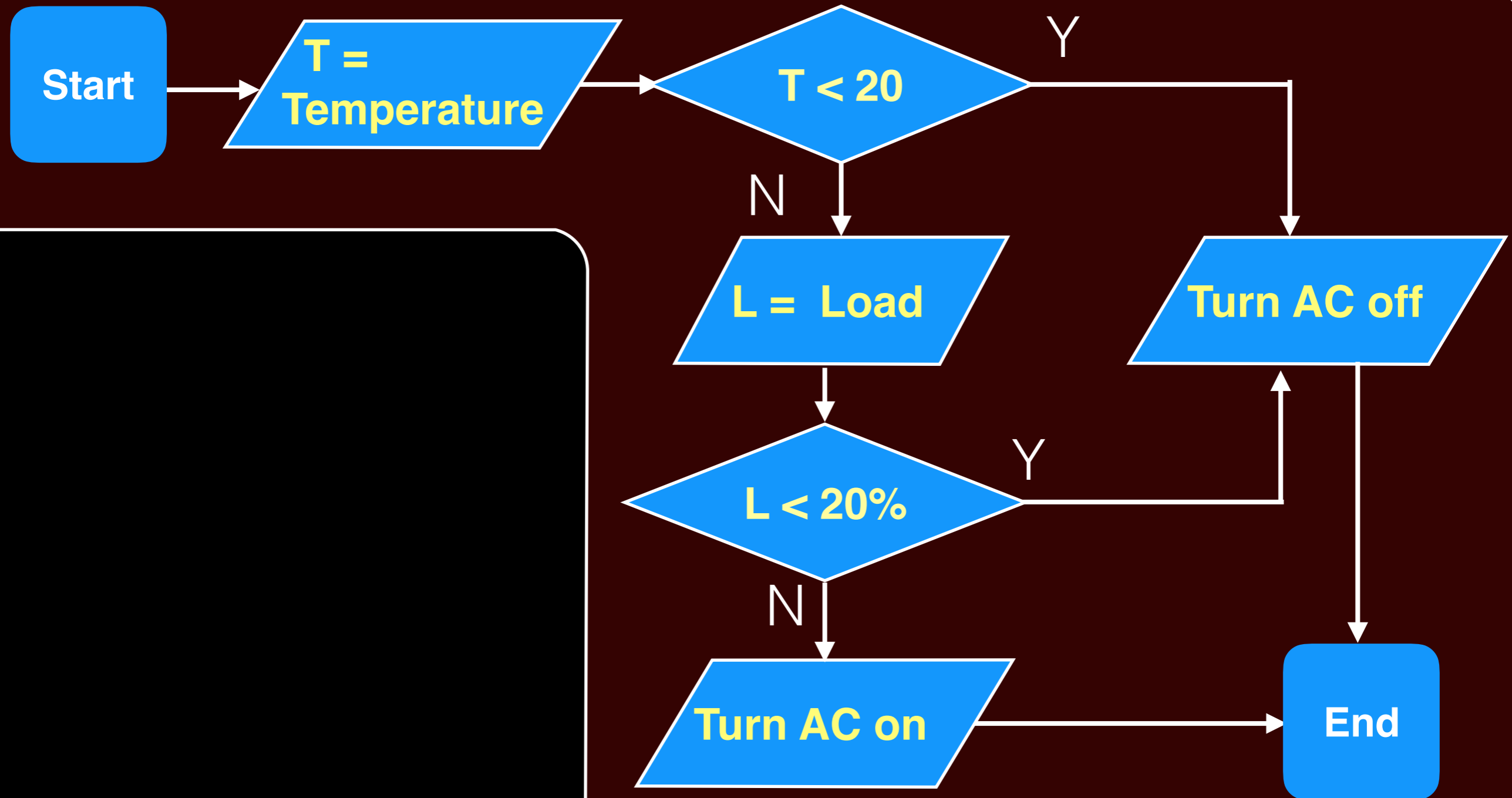
```
y = 0  
while( y < me):  
    if(y*y == me):  
        return y  
x = x+1
```

# Program as A Graph of Simpler Tasks

SUM: [1, 3, 6, 11, 21, 0]



# Flow Chart



# Programming is Problem-Solving

- Understand the problem: output for each input
  - Formalize problem specification
- Formulate the over-all structure of the algorithm
  - Coarse steps first
  - Refine each step into simpler steps
  - Until you know how to implement those steps
- Implement, Test & Maintain

# IsThere(v, list)?

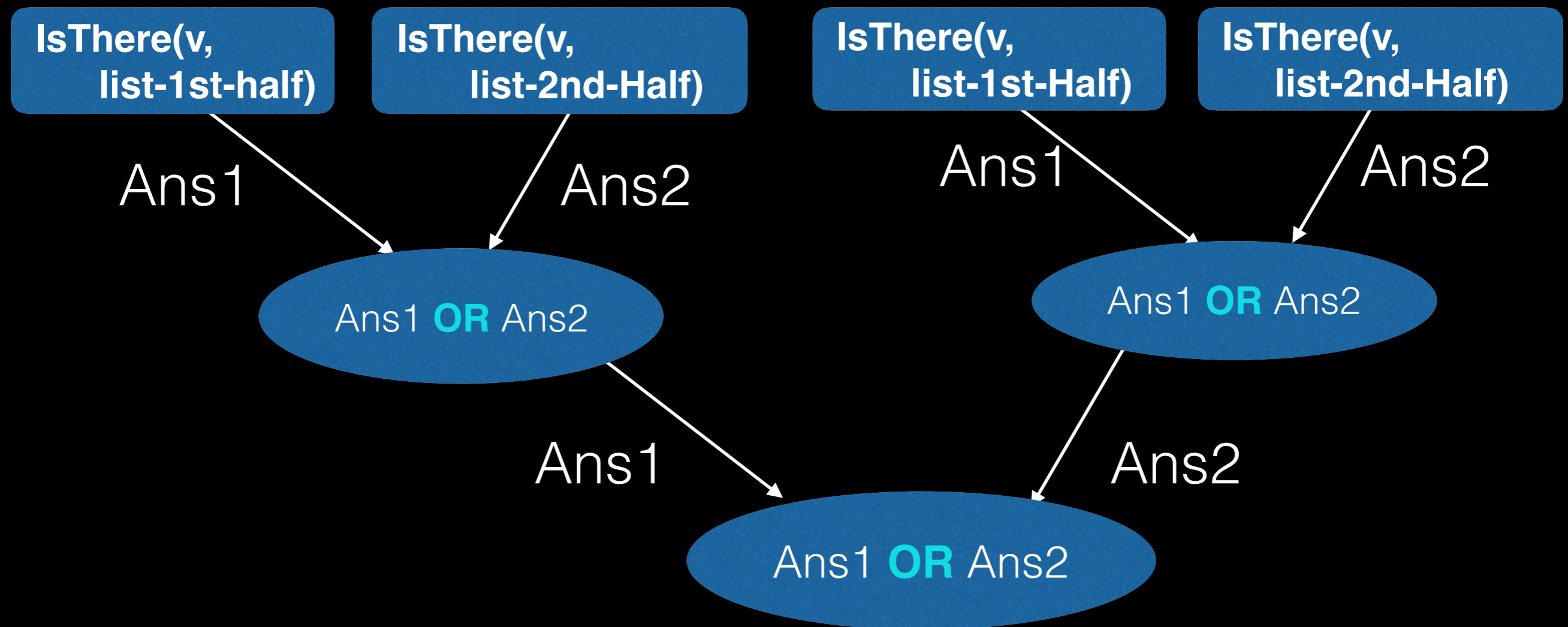
IsThere(v, list-left-half)

IsThere(v, list-right-half)

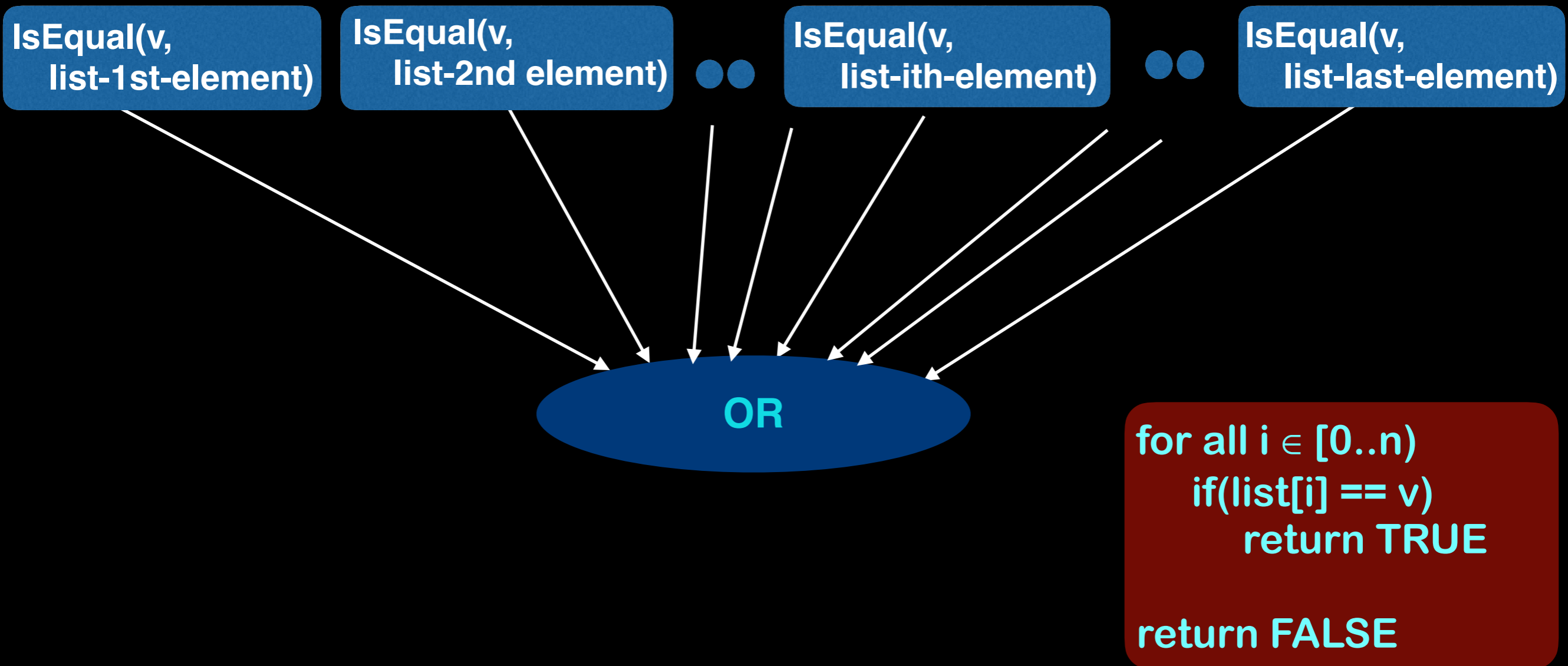
return  
isThere(v, list.leftHalf)  
OR  
isThere(v, list.rightHalf)

Ans1 OR Ans2

# IsThere(v, list)?



# IsThere(v, list)?



# How does a Program Look?

- A set of instructions in a “programming language”
- May maintains state
  - Notion of Variables
  - Or, name and binding
  - Collections
- May take **action** based on (some part of) current state
- May repeatedly take **action**
- May interact with other programs, people, or devices

# Programming Steps

- Understand specification
  - Formulate as formally as you can
- Devise the test plan
- Algorithmic design
  - Analyse the performance
- Refine the test plan
- Implement incrementally
  - Test each time
  - Error debugging + performance debugging



# Programming Errors

- Syntax/ Semantic errors
- Crash
  - Exception, Illegal access, Resource unavailability, System fault
- Hang

# Termination

- Any program without loops or recursion terminates
- For loop
  - Find an integer function of some program variables
  - Integer value is non-negative at the start of the loop
  - Integer value is zero at the end of the loop
  - Value of guaranteed to decrease progressively
- For a recursive function:
  - every recursive call will eventually reach a basis case

Every execution

# Test Termination

```
def isThere(v, list):  
    for l in list:  
        if(l == v):  
            return TRUE  
    return FALSE
```

$v = \text{length of list} - \text{position of } l \text{ in list} - 1$

```
def factorial(n):  
    fact = 1  
    for i in xrange(1, n+1):  
        fact = fact * i  
    return fact
```

$v = n - i$      if  $n > 0$   
0 otherwise

# Programming Errors

- Syntax/ Semantic errors
- Crash
  - Exception, Illegal access, Resource unavailability, System fault
- Hang
- Wrong answer
  - Occasionally wrong

# Program Correctness

- Starts with a correct specification of the requirements
  - Correctness can only be with respect to the specification
- Correct design
  - Algorithmically correct
- Correct implementation
  - Re-use of already correct code helps

# Safe Coding Style

- Indicative names
  - Comment
- Always check for error value returned by functions
  - Handle exception
- Validate user input
- Assert known state

# Prove Correctness

```
def isThere(v, list):  
    for l in list:  
        if(l == v):  
            return TRUE  
    return FALSE
```

Check all termination conditions

```
def factorial(n):  
    fact = 1  
    for i in xrange(1, n+1):  
        fact = fact * i  
    return fact
```

**fact = (i-1)!**

**fact = i!**

Induction on n

# Python: Understand Error Report

- `SyntaxError`
- `IndentationError`
- `TypeError`
- `NameError`
- `IndexError`
- `UnboundLocalError`
- `AssertionError`